SCIENTIFIC PREPARATION OF MAGNETO-RHEOLOGICAL PROPERTY OF FERROFLUID

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ABSTRACT

The circular squeeze-film-bearing marvel shaped between upper strong impermeable circle and lower porous-unpleasant plate with the impacts of two roughness designs (radial and circumferential) on the porous surface utilizing FF lubricant. Here, the FF is constrained by diagonal radially factor magnetic field (VMF) as a result of acquiring preferred position of creating most extreme field at the required dynamic contact zone. Also, the VMF is considered in light of the fact that uniform magnetic field doesn't improve bearing exhibitions. The porousunpleasant surface is considered in light of getting favorable position of self-greasing up property. Utilizing FF stream model by R. E. Rosensweig and roughness impact by Christensen's stochastic hypothesis adjusted Reynolds equation is determined, which is fathomed for load-conveying limit with respect to various shapes (exponential, secant, perfect representation of secant and parallel) of the upper circle. The outcomes are looked at among changed shapes and the effects of penetrability and roughness examples are considered. The motivation behind considering the present issue is lies in the perception that the investigations of the vast majority of various structures squeeze-films (circle plate, round and hollow plate, two- parallel plates, and so forth.) diminish to the present case or present case is the restricting instance of various structures squeeze-films.

Keyword: Magneto-rheological, ferrofluid, Flim.

INTRODUCTION

As of late, numerous hypothetical and trial innovations are made on the bearing plan frameworks just as greasing up substances so as to expand the productivity of the bearing exhibitions. One noteworthy transformation toward greasing up substances is a creation of Ferrofluids. Ferrofluids (FFs) or Magnetic liquids (MFs) are steady colloidal suspensions containing fine ferromagnetic particles scattering in a liquid, called bearer liquid, in which a surfactant is added to create a covering layer counteracting the flocculation of the particles. At the point when an outside magnetic field.

It is discovered that an upgraded an incentive for the porousness parameter decreases the weight over the whole circle and furthermore levels out the weight conveyance; in any case, there is an antagonistic impact on the load-conveying limit and reaction time of methodology. The porous impacts are appeared to prevail at extremely low thickness esteems. The greased

up grasp commitment conduct of two annular circles with the flexibly deformable porous confronting appended with the above plate. The surface roughness is additionally presented at both the circles. The bearing attributes like weight circulation, load-conveying limit and film thickness versus time have been contemplated. A hypothetical examination of the impacts of surface roughness on squeeze-film qualities between two circular plates. It is discovered that the circumferential roughness lessens the sinkage pace of the squeeze plate. On the off chance that the most noteworthy severities are gruff or level, the hypothetical time to arrive at the rest position may keep an eye on boundlessness. On account of radial roughness, the sink age rate is expanded.

FORMULATION OF THE MATHEMATICAL MODEL

The setup of the present round squeeze-film-bearing plan, where the upper plate is strong impermeable while the lower one is permeable unpleasant. Both the circles are having range a. The permeable unpleasant plate is made by joining a permeable confronting (locale or network) of thickness (or width) H* with the strong impermeable circle. Basically the permeable confronting is harsh, so two harshness designs (outspread and circumferential) are considered for the investigation. The hole between two plates (known as film district) is loaded up with FF, which leads FF film and might be of various shapes because of the various plans (exponential, secant, identical representation of secant and parallel) of the upper circle. The upper circle pivot with a rakish (or rotational) velocity while the lower with. The upper plate moves ordinarily towards lower one with an ordinary velocity (known as squeeze velocity)

$$\dot{h}_0 = \frac{dh_0}{dt}, \quad (1)$$

where h0 is the central film thickness at time t = 0. And

$$\mathbf{q} = (\dot{r}, r \dot{\theta}, \dot{z}) = (u, rv, w). \quad (2)$$

Here, (r, , z) are barrel shaped polar co-ordinates and speck () speaks to subsidiary w.r.t. t. In the present case, the quality of the angled radially VMF, which controls FF in the film region, can be considered as

$$H^2 = \frac{Kr^2(a-r)}{a},$$
 (3)

So as to get most extreme field quality at r = 2a/3. This quality can be considered on the grounds that, in the present case, neighborhood of r = 2a/3 is dynamic contact zone. For other dynamic contact zones, various types of attractive field ought to be picked. Here, r is the radial coordinate and K being an amount picked to suit the elements of the two sides of condition (3) For an incompressible, consistent, axisymmetric stream, conditions in barrel shaped polar coordinates in r (radial)- course moves toward becoming

$$-\frac{v^2}{r} = -\frac{1}{\rho} \frac{\partial}{\partial r} \left(p - \frac{1}{2} \mu_0 \overline{\mu} H^2 \right) + \frac{\eta}{\rho} \frac{\partial^2 u}{\partial z^2}$$
(4)

Under the typical suppositions of lubrication, ignoring dormancy terms and that the subordinates of liquid speeds over the film prevail. Here, z is hub co-ordinate. By considering distracting part v of speed vector q of both the discs

$$\frac{\partial^2 u}{\partial z^2} = \frac{1}{\eta} \left[\frac{\partial}{\partial r} \left(p - \frac{1}{2} \mu_0 \overline{\mu} H^2 \right) - \rho r \left(\frac{z}{h} \Omega_r + \Omega_l \right)^2 \right]; \ \Omega_r = \Omega_u - \Omega_l,$$
(5)

where *h* is the film thickness is in two forms

$$h = h_n(r) + h_s(r,\theta,\xi); \quad (6)$$

 h_n indicates the ostensible smooth piece of the film geometry and hs is the part due to the surface ill tempers estimated from ostensible level and is an arbitrarily differing amount with zero mean $\dot{\epsilon}$, being a list deciding an unmistakable unpleasantness course of action. Utilizing boundary Equations

$$u = \frac{1}{s} \frac{\partial u}{\partial z}$$
 when $z = 0$; $\frac{1}{s} = \frac{\sqrt{\phi_r \eta_r}}{5}$ (S Slip condition)

And

h=0 when z = u (No slip condition)

Equation (5) outputs velocity profile in the film region as

$$u = \frac{1}{\eta(1+sh)} \left[\frac{(z-h)(z+h+szh)}{2} \frac{\partial}{\partial r} \left(p - \frac{1}{2} \mu_0 \overline{\mu} H^2 \right) + \frac{\rho r \Omega_r^2}{12 h^2} (-z^4 + h^4 - sz^4 h + szh^4) + \frac{\rho r \Omega_r \Omega_l}{3 h} (-z^3 + h^3 + szh^3 - sz^3 h) + \frac{\rho r \Omega_l^2}{2} (-z^2 - sz^2 h + szh^2 + h^2) \right],$$
(7)

where s is a slip parameter, $r \phi$ being the penetrability of FF in the permeable grid in the radial bearing and n_r being the porosity a similar way.

MAGNETO-RHEOLOGICAL PROPERTY OF FERROFLUID

Rheology is the study of distortion and stream of materials. It depends on three key ideas: kinematics (investigation of motion), protection laws (trade of different vitality, powers and worries during motion) and constitutive relations (connections motion and powers of uncommon classes of body's eg. thick bodies). Magneto-rheology is a unique part of rheology. It is connected with the variety of the rheological property of a liquid in nearness of a magnetic field. The utilization of a magnetic field, quickly changes the consistency of a liquid.

Ferro fluids (being magnetic fluids) are capable of displaying exciting magneto-viscous (magneto-rheological) properties. When exposed to an applied magnetic field, FFs experience prominent changes in their physical properties. The adjustment in the liquid's thickness

because of an outside magnetic liquid is named as magneto-gooey impact (MV). The MV impact of FFs is built up as one of the most testing and essential property for ferrofluid application/investigate. The thickness of FF is constantly touchy to the applied magnetic field. In a shear stream, the scattered MNPs of a ferrofluid pivot themselves so that their tomahawks of revolution are parallel to the vorticity (nearby turning motion of the liquid) of the stream. If there should be an occurrence of a magnetically hard molecule, the magnetic minute will be fixed inside the particles. In the event that an outer magnetic field is applied opposite to the vorticity of the stream, at that point two circumstances will show up at the bleeding edge at the same time. Right off the bat, the magnetic field will attempt to adjust the particles along the field course while the thick power will in general pivot the particles. As the minute is fixed inside the particles, there will be misalignment between the field and the snapshot of the particles. These outcomes in a torque. Unexpectedly, this torque will upset the free revolution of the particles, along these lines the consistency of the liquid changes.

If the outside field is applied in heading parallel to the vorticity of the liquid, there will be a resultant torque between the minute and the applied field. In this manner no change will happen in the liquid's thickness.



Fig 1: Variation of viscosity with shear rate for FF1 and FF2

Here is the consistency in logarithmic scale, y is the underlying thickness y_1 and y_2 , And are the viscosities at zero shear rate for a specific pattern, is the applied shear rate while t_1 , t_2 are the rot parameters in sec⁻¹. The deliberate parameters are enrolled in Table 1. From the biexponential condition, it tends to be comprehended that the ferrofluids are experiencing two concurrent rot conditions one of them is quick with high rot parameter. The basic shear rate at which shear diminishing has backed off are 86.21 sec⁻¹ and 118 sec⁻¹ for FF1 and FF2; separately. The viscous nature of the FFs can be ascribed to the plan of little chains/clusters of the MNPs.With expanding shear rate, some sort of bother of these groups happen prompting a diminishing pattern of consistency. It is clear from TEM pictures that without any outside power there could be more grouping impact in FF1 than in the event of FF2 of At the end of the day, oleic corrosive (anionic surfactant) covered particles are well-scattered than TMAH (cationic surfactant) covered particles. However, with expanding shear rate, oleic corrosive covered groups would react to fracture all the more effectively.

FF	y1(cP)	y2(cP)	<i>t</i> ₁ (/s)	<i>t2</i> (/s)
FF1	0.67 ± 0.006	0.99 ± 0.003	10.99 ± 2	117.74 ± 2
FF2	0.64 ± 0.008	0.86 ± 0.01	15.36 ± 2	168.73 ± 3

Table 1: Different parameters of FF1 and FF2

So as to consider the impact of applied magnetic field on the rheological property, the MV reaction was examined when the field was shifted in the scope of 0-100 G. Fig. 3.9(a) and (b) exhibit the magneto-gooey property of FF1 and FF2. Articulated non Newtonian conduct was watched even within the sight of magnetic fields (H). For a specific field, consistency diminishes with expanding shear rate, like that without applied field. Particularly at a fixed shear rate, applied magnetic field could improve the thickness of the FFs. Different laborers have contended that the development of various field actuated structures for example chain grouping, droplike and so on in genuine FFs may prompt such a variation.

The bigger the measure of such structures, the higher would be the thickness. Particles bigger than the basic size (~10 nm for magnetite particles) are progressively inclined to this sort of structure formation. In a ferrofluid, the measure of such particles to a great extent impacts the magneto-thick property. At higher shear rates these structures separate in this manner bringing about diminished thickness. It was accounted for by Odenbach et al that, the collaboration between the magnetic minute and mechanical torque of these particles brings about high magneto thick effect. This is ascribed to the more grounded direction propensity of the dipole minutes from the bearing of vorticity towards the applied field. For our situation, the course of the magnetic field is opposite to the vorticity of the liquid. As the field builds the collaboration between the field and the magnetic snapshots of the MNPs gets upgraded radically. In this manner, the situation of the basic shear rate shifts towards lower shear rate heading with increment of field.



Fig 2: Variation of viscosity (with shear rate) of (a) FF1 and (b) FF2



Fig 3: Relative change of viscosity with magnetic field at shear rate (a) 225 sec $^{\cdot 1}$ and (b) 445 sec $^{\cdot 1}$

For better understanding and approval of the job of the two surfactants on the consistency of the FFs, the overall difference in viscosities (ηr) was additionally worked out. The individual difference in consistency comparing to various magnetic fields are appeared and (b). It is communicated by the condition:

 $\eta_r = \frac{\eta(H) - \eta(0)}{\eta(0)}$

It is discovered that the FF2 reacts more quickly to the field than that of FF1 regardless of shear rate. It suggests that oleic corrosive covered particles effectively collaborate with the field.

CONCLUSION

It is Concluded that TMAH covered particles are progressively steady in ferrofluid in contrast with oleic corrosive covered particles. The strength of FFs with oleic corrosive and TMAH covered Fe3O4 MNPs relies upon a distinct surfactant condition. These two surfactants are not quite the same as one another in their particular hydrocarbon chain lengths. It is bigger in TMAH [(CH₃)₄NOH] than that of Oleic corrosive (C₁₈H3₄O2). It was accounted for before that the scattering soundness of surfactant relies upon the hydrocarbon chain length. The retention free vitality increments with the expansion of the hydrocarbon chain length, prompting improvement in compound security. Consequently, better steadiness can be foreseen if there should be an occurrence of utilization of TMAH. The impact of outside magnetic field (static) on the blended FFs was examined as far as magneto-optic and magneto-rheological reaction. The FR and LD reactions of FFW and FFK have demonstrated intriguing outcomes. The FR is generally reliant on the energized wavelength and showing more grounded reaction for bigger wavelength

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